## Mean Square $L_2$ -Discrepancy of Randomized Digital Nets in Prime Base

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The talk is based on results of joint work with Friedrich Pillichshammer and Josef Dick. We study the mean square weighted  $L_2$ -discrepancy of random digital (t, m, s)-nets in prime base p. We consider as randomization method a digital shift of depth m. After giving a formula for the mean square weighted  $L_2$ -discrepancy we prove an upper bound on this discrepancy. Subsequently we deduce that there exist digital nets in prime base whose mean square weighted  $L_2$ -discrepancy is best possible in the order of magnitude in N, the number of points considered. We study how the constant of the leading term depends on the choice of the prime base p.

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