## Waring's Problem with digital restrictions

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Waring's Problem, conjecturing that every integer $N$ can be represented as sum $N=n_{1}^{d}+\ldots+n_{s}^{d}$ of a sufficiently large number of powers of other integers, is investigated subject to so-called digital restrictions. That is, the indeterminates $n_{1}, \ldots, n_{s}$ simultaneously obey a condition involving the $q$ adic sum of digits function $S_{q}$. Given $N, s, d$ and $q$, we provide a Hardy-Littlewood like asymptotic formula for the number of such representations of $N$, from which the fact that the corresponding set of integers forms an asymptotic basis can be easily derived.
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